

1. Change 567_8 to hexadecimal and subtract. $A12_{16} - 177_{16} = 89B_{16}$.
 $89B_{16}$ converts to 100010011011_2 .

1. 100010011011_2 .

2. $(\bar{X} + Y)(\bar{X} + \bar{Y}) = \bar{X}\bar{X} + \bar{X}\bar{Y} + \bar{X}Y + Y\bar{Y} = \bar{X} + \bar{X}\bar{Y} + \bar{X}Y + 0 =$
 $\bar{X} + (1 + \bar{Y} + Y) = \bar{X} + 1 = \bar{X}$

2. \bar{X}

3. $\overline{AB} + A(\overline{B+C}) = \bar{A} + \bar{B} + A\bar{B}\bar{C} = \bar{A} + \bar{B}(1 + \bar{A}\bar{C}) = \bar{A} + \bar{B} = \overline{AB}$
 Now if $\overline{AB} = 0$, then $AB = 1$ which implies $A = 1$ and $B = 1$.
 Therefore, the solution is in the form $(1, 1, *)$

3. $(1, 1, 1)$ and $(1, 1, 0)$

4. Working from the inside out:

$$\text{RSHIFT}-2 \ 10011 = 00100$$

$$\text{RCIRC}-8 \ 00100 = \text{RCIRC}-3 \ 00100 = 00001$$

$$\text{RSHIFT}-2 \ 00001 = 00100$$

4. 00100

5. Let $X = abcde$.

$$\text{RSHIFT}-1 \ abcde = 0abcd$$

$$0abcd \text{ OR } 10110 \text{ AND } 00101 = 00101$$

Since AND has precedence over OR

$$10110 \text{ AND } 00101 = 00100$$

$$0abcd \text{ OR } 00100 = 00101$$

Evaluating one bit at a time gives:

$$a \text{ OR } 0 = 0 \text{ implies } a = 0$$

$$b \text{ OR } 1 = 1 \text{ implies } b = *$$

$$c \text{ OR } 0 = 0 \text{ implies } c = 0$$

$$d \text{ OR } 0 = 0 \text{ implies } d = 1$$

$$e = *$$

The 4 solutions take the form $(0, *, 0, 1, *)$

5. 4